



## Longitudinal Driving Behavior Under Adverse Conditions

Adaptation Effects, Parameter Value Changes and Model Performance  
In case of Fog

### Introduction

Adverse weather conditions have a substantial impact on traffic flow operations like for example freeway capacity reductions in case of fog around 10 to 12%.

It is however unclear which adaptation effects in actual longitudinal driving behavior underlie this impact. Furthermore it is unclear to what extent current mathematical models of car-following behavior are adequate in incorporating these adaptation effects.

### Research methodology

A driving simulator study with a RM design was performed intending to investigate experimentally which adaptation effects in driving behavior can be observed in case of fog as well as to what extent current models of car-following models, represented by the Helly model and the Intelligent Driver Model, are adequate in incorporating these adaptation effects. In this regard a new calibration for joint estimation was applied (Hoogendoorn & Hoogendoorn, 2010).

### Observed adaptation effects

The results indicate a significant decrease in mean speed in case of fog ( $M=54.68$ ,  $SD=1.48$ ) compared to the normal visibility condition ( $M=77.68$ ,  $SD=1.48$ ),  $t(18)=10.01$ ,  $p<.05$ ). Furthermore a significant decrease in mean acceleration was observed  $t(18)=2.10$ ,  $p<.05$  as well as a significant increase in mean distance

to the lead vehicle,  $t(18)=9.32$ ,  $p<.05$ .

### Parameter estimation results and model performance

The Helly model is expressed in the equations:

$$a_i(t) = \alpha \Delta v_i(t-T_i) + \gamma (x_i(t-T_i) - S_i) \\ S_i = s_0 + h_{min} v_i$$

The results indicate a substantial decrease in the sensitivity parameters  $\alpha$  and  $\gamma$ . Most striking is the increase in  $h_{min}$ , indicating a substantial change in longitudinal driving behavior.

The Intelligent Driver Model is expressed in the equations:

$$\frac{d}{dt} v_i = a(v_i/v_0)^4 - (s^*(v_i, \Delta v_i)/(s_i - 1)^2) \\ s^*(v_i, \Delta v_i) = s_0 + T v_i - ((v_i, \Delta v_i)/(2 \sqrt{ab})^2)$$

Here the results indicate a substantial decrease in  $a$  and  $b$  as well as a substantial increase in  $T$ .

Also the results indicate a decrease of performance of the models. It is recommended to develop models adequately incorporating adaptation effects under adverse conditions.

